

**YEAR 13 – MATHEMATICS (Week 5)**

<b>Subject</b>	<b>Mathematics</b>
<b>Class/ Section</b>	<b>Year 13 – Batch A, B and C</b>
<b>Week</b>	<b>27<sup>th</sup> September to 1<sup>st</sup> October 2020</b>
<b>Work send to students by</b>	<b>Group email / Google classroom / Zoom</b>
<b>Total number of lessons per week</b>	<b>3</b>
<b>Units</b>	<b>Pure Mathematics – Year 2 Chapter 3 – Sequences and Series</b>
<b>Lessons 1 –Live Zoom lesson</b>	<b>3.3 – Geometric Sequences 3.4 – Geometric Series <u>Learning objective</u> – To find the <math>n^{\text{th}}</math> term of a geometric sequence and to prove and use the formula for the sum of a finite geometric series. <u>Intended Learning Outcomes</u> --Students will be able to understand that a geometric sequence has a common ratio between consecutive terms and how to find the formula for the <math>n^{\text{th}}</math> term of a geometric sequence. --Students will be able to understand that a geometric series is the sum of the terms of a geometric sequence and how to find the formula for the sum of the first n terms of a geometric series.</b>
<b>Tasks</b>	To complete the questions assigned from the Textbook (pdf) in their notebook. Students will be put in break out rooms during Zoom lesson to encourage collaborative learning.
<b>Resources</b>	<ol style="list-style-type: none"><li>1 Power point presentation</li><li>2 Pure Mathematics Year 2</li><li>3 <a href="https://www.physicsandmathstutor.com/">https://www.physicsandmathstutor.com/</a></li><li>4 <a href="https://www.drfrstmaths.com/">https://www.drfrstmaths.com/</a></li><li>5 <a href="https://www.examsolutions.net/">https://www.examsolutions.net/</a></li></ol>

<p><b>Lessons 2 –Live Zoom lesson</b></p> <p><b>Tasks</b></p> <p><b>Resources</b></p>	<p><b>3.5 – Sum to Infinity</b>  <b>3.6 – Sigma Notation</b>  <b><u>Learning objective</u> – To prove and use the formula for the sum to infinity of a convergent geometric series and to use sigma notation to describe series.</b>  <b><u>Intended Learning Outcomes</u></b>  --Students will be able to work out the sum of n terms of geometric series. As n tends to infinity, the sum of the series is called the sum to infinity. Students will understand that as a series getting bigger, as n tends to infinity, <math>S_n</math> also tends to infinity and this series is called divergent series. As a series gets smaller, as n tends to infinity, <math>S_n</math> gets closer and closer to a finite value, <math>S_{\infty}</math> and this is called convergent series. Students will be made to understand that the Greek capital letter sigma is used to signify a sum. We write the limits on top and bottom to show which terms you are summing.</p> <p>To complete the questions assigned from the Textbook (pdf) in their notebook. Students will be put in break out rooms during Zoom lesson to encourage collaborative learning.</p> <ol style="list-style-type: none"> <li>1. Power point presentation</li> <li>2. Pure Mathematics Year 2</li> <li>3. <a href="https://www.physicsandmathstutor.com/">https://www.physicsandmathstutor.com/</a></li> <li>4. <a href="https://www.drfrostmaths.com/">https://www.drfrostmaths.com/</a></li> <li>5. <a href="https://www.examsolutions.net/">https://www.examsolutions.net/</a></li> </ol>
<p><b>Lessons 3 –Live Zoom lesson</b></p> <p><b>Tasks</b></p> <p><b>Resource</b></p>	<p><b>3.7 – Recurrence relations</b>  <b>3.8 – Modelling with Series</b>  <b><u>Learning objective</u> – To generate sequences from recurrence relations and model real life situations with sequences and series.</b>  <b><u>Intended Learning Outcomes</u></b>  --Students will be able to understand, if you know the rule to get from one term to the next in a sequence you can write a recurrence relation. A recurrence relation of the form <math>u_{n+1} = f(u_n)</math> defines each term of a sequence as a function of the previous term. Introduce that a sequence is increasing if <math>u_{n+1} &gt; u_n</math>, for all <math>n \in N</math>, a sequence is decreasing if <math>u_{n+1} &lt; u_n</math>, for all <math>n \in N</math>, a sequence is periodic if the terms repeat in a cycle. For a periodic sequence there is an integer k such that <math>u_{n+k} = u_n</math> for all <math>n \in N</math>. The value of k is called the order of the sequence. Students will be able to understand that geometric sequence and series can be related to real life situations. For example if a person’s salary increases by the same percentage every year, their salaried each year would form a geometric sequence and the amount they had been paid in total over n years would be modelled by the corresponding geometric series.</p> <p>To complete the questions assigned from the Textbook (pdf) in their notebook. Students will be put in break out rooms during Zoom lesson to encourage collaborative learning.</p> <ol style="list-style-type: none"> <li>1. Power point presentation</li> <li>2. Pure Mathematics Year 2</li> <li>3. <a href="https://www.physicsandmathstutor.com/">https://www.physicsandmathstutor.com/</a></li> <li>4. <a href="https://www.drfrostmaths.com/">https://www.drfrostmaths.com/</a></li> <li>5. <a href="https://www.examsolutions.net/">https://www.examsolutions.net/</a></li> </ol>